

## **CURIOSITY**

## **COMPASSION**

## **COURAGE**



## **Curriculum Overview**

Subject	Mathematics	Year group	13				
Vision statement:	At Landau Forte our curriculum exists to ensure all students regardless of background and ability have the opportunity to unlock their potential. We are committed to students being challenged from their previous key stage learning experiences. Our broad and balanced curriculum is ambitious, coherently planned and sequenced, and will provide the platform for preparing students with the foundations for examination success.						
	Our Curriculum Intent has been informed by a wide variety of researchers and is steep our curriculum to empower all learners creating a pathway to success in university, the		Counsell summarises the aspiration of				
	'A curriculum exists to change the pupil, to give the pupil new power. One acid test for a curriculum is whether it enables even lower attaining or disadvantaged pupils to clamber into the discourse and practices of educated people, so that they gain powers of the powerful.'						
	As well as excellent academic success we aim to ensure our students leave us as polite and Curiosity are currently being embedded throughout our curriculum offer to ensure	. •	• • • •				
Curriculum intent:	All students acquire the mathematical life skills necessary for the world of work, no mathave a strong belief that all students can achieve in Maths.  Students will be taught to have a firm understanding of number bonds and be confidents will be stretched and challenged through problem solving tasks to develop restudents are encouraged to show courage through attempting questions in environme judgmental when questions are answered incorrectly. Students are also encouraged to real life applications of the Maths that they are learning.  This will be achieved by staff working together in planning lessons that allow ALL stude Common lesson planning formats; Expert knowledge of the subject; Differentiated mathamatical Regular use of AfL to assess progress in a lesson; Regular use of formal marking and fer Regular summative assessments to ensure appropriate progress and intervention.	nt in using non-calculator strategies for so esilience. ent where other students show <b>compassi</b> on to show <b>curiosity</b> through asking questions ents to achieve/ exceed their potential the sterial;	on through a culture of being nonand taking a genuine interest in the				
Threshold Concepts (TCs):	TC1 Algebraic manipulation - This concept involves recognising mathematical propertic TC2 Number sense - This concept involves understanding the number system and how TC3 Shape facts - This concept involves recognising the names and properties of geom TC4 Multiplicative reasoning - This concept involves using ratio and proportion and un TC5 Representing and interpreting data - This concept involves interpreting, manipulat TC6 Calculator skills - This concept involves fluent application of mathematical operation TC7 Understanding and calculating risk - This concept involves knowing the rules of pro-	they are used in a wide variety of mather etry shapes and angles. derstanding of reciprocals in real world ap ting and presenting data in various ways. ons on a scientific calculator	matical ways				



## **COURAGE**



### **KS4 National** Curriculum summary:

The national curriculum for mathematics aims to ensure that all pupils:

- become fluent in the fundamentals of mathematics, including through varied and frequent practice with increasingly complex problems over time, so that pupils develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately.
- reason mathematically by following a line of enquiry, conjecturing relationships and generalisations, and developing an argument, justification or proof using mathematical language
- can solve problems by applying their mathematics to a variety of routine and non-routine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions.

Mathematics is an interconnected subject in which pupils need to be able to move fluently between representations of mathematical ideas. The programme of study for key stage 4 is organised into apparently distinct domains, but pupils should develop and consolidate connections across mathematical ideas. They should build on learning from key stage 3 to further develop fluency, mathematical reasoning and competence in solving increasingly sophisticated problems. They should also apply their mathematical knowledge wherever relevant in other subjects and in financial contexts.

**Learner skills:** 

Critical thinking

Organisation

Collaboration

Adaptability

Oracy

Self-quizzing





**ORGANISATION** 



COLLABORATION





	Term 1 Aug-Oct	Term 2 Nov-Dec	Term 3 Jan-Feb	Term 4 Mar-Apr	Term 5 Apr-May	Term 6 Jun-Jul
Big picture	How else can we write	How can we find	How do we solve first	How can we model		
questions:	complex numbers?	volumes of revolution	order differential	situations using		
•		when curves are defined	equations?	differential equations?		
	What is De Moivre's	parametrically?				
	Theorem?		How do we solve second	What is harmonic		
		Can we find volumes of	order differential	motion?		
	How do complex	revolution for more	equations?			
	numbers relate to	complex functions?		How can we solve linear		
	trigonometric identities?			programming problems		



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	How do we use the method of differences to find the sum of a finite series?  How do we write the	What are polar coordinates?  What are hyperbolic functions?	How do I use the vertex testing method to solve optimisation problems?  How do I use the objective line method to	with more than 2 variables? What is oblique impact?	
	Maclaurin series expansion of a function?		solve optimisation problems?		
	What is an improper integral?		What is Newton's law of restitution?		
	How do we use trigonometric substitution to integrate rational functions?		How do direct impacts and collisions work?		
	How do we use partial fractions to integrate functions?				
Content	TC1 Algebraic	TC1 Algebraic	TC1 Algebraic	TC1 Algebraic	
(Linked to TCs):	manipulation	manipulation	manipulation	manipulation	
	TC2 Number sense TC3 Shape facts TC6 Calculator skills  Complex Numbers Exponential form of complex numbers Multiplying and dividing complex numbers De Moivre's theorem Trigonometric identities Sums of series nth roots of a complex number	TC2 Number sense TC3 Shape facts TC6 Calculator skills  Volumes of revolution Volumes of revolution around the x-axis Volumes of revolution around the y-axis Volumes of revolution parametrically defined curves Modelling with volumes of revolution	TC2 Number sense TC3 Shape facts TC5 Representing and interpreting data TC6 Calculator skills  Methods in Differential Equations First-order differential equations Second-order homogenous differential equations	TC2 Number sense TC3 Shape facts TC5 Representing and interpreting data TC6 Calculator skills  Modelling with Differential Equations Modelling with first-order differential equations Simple harmonic motion Damped and forced	
	Solving geometric problems	Polar Coordinates		harmonic motion	



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		Polar coordinates and	Second-order non-	Coupled first-order	
	Series	equations	homogenous differential	simultaneous differential	
	The method of	Sketching curves	equations	equations	
	differences	Area enclosed by a polar	Using boundary		
	Higher derivatives	curve	conditions	Simplex Algorithm	
	Maclaurin series	Tangents to polar curves		Formulating linear	
	Series expansions of			programming problems	
	compound functions	Hyperbolic Functions	Linear Programming	The simplex method	
		Introduction to	Linear programming	Problems requiring	
	Methods in Calculus	hyperbolic functions	problems	integer solutions	
	Improper integrals	Inverse hyperbolic	Graphical methods	Two-stage simplex	
	The mean value of a	functions	Locating the optimal	method	
	function	Identities and equations	point	The Big-M method	
	Differentiating inverse	Differentiating	Solutions with integer		
	trigonometric functions	hyperbolic functions	values	Elastic Collisions in Two	
	Integrating using partial	Integrating hyperbolic		Dimensions	
	fractions	functions	Elastic Collisions in One	Oblique impact with a	
			Dimension	fixed surface	
			Direct impact and	Successive oblique	
			Newton's law of	impacts	
			restitution	Oblique impact of	
			Direct collision with a	smooth spheres.	
			smooth plane		
			Loss of kinetic energy		
			Successive direct impacts		
Key vocabulary:	Complex Numbers	Volumes of Revolution	Methods in Differential	Modelling with	
	Imaginary number,	Integrate, volume of	Equations	Differential Equations	
	complex number,	revolution, radians,	First order differential	Differential equations,	
	exponential form, Euler's	function, parametric	equation, separation of	first order differential	
	relation, identity, Argand	equations, modelling.	variables, general	equations, simple	
	diagram, De Moivre's		solution, integrating	harmonic motion,	
	theorem, trigonometric	Polar Coordinates	factor, second-order	acceleration,	
	identities, series, nth	Pole, initial line,	differential equations,	displacement, line of	
	roots, nth roots of unity,	trigonometry, polar	homogeneous, auxiliary	motion, centre of	
	geometric problems.	coordinates, loops, polar	equation, non-	oscillation, damping	
		curves, cardioid,	homogeneous, particular	force, damped harmonic	
	Series			motion, heavy damping,	



## **COURAGE**



	Method of differences,	tangents, parallel,	integral, boundary	critical damping, light		
	series, sigma,	perpendicular,	conditions.	damping, equilibrium		
	derivatives, Maclaurin			position, forced		
	series, valid series,	Hyperbolic Functions	Linear Programming	harmonic motion,		
	expansion, compound	Hyperbolic sine,	Decision variables,	coupled first-order linear		
	functions.	hyperbolic cosine,	objective function,	differential equations.		
		hyperbolic tangent,	constraints, inequalities,	-		
	Methods in Calculus	inverse hyperbolic	feasible solution, optimal	Simplex Method		
	Improper integrals,	functions, domain,	solution, maximisation,	Decision variables,		
	infinite, convergent,	range, restricted domain,	minimisation, non-	objective, constraints,		
	divergent, limits, mean	identities, equations,	negativity, graphical	slack variables, simplex		
	value, inverse	Osborn's rule,	method, objective line,	method, simplex		
	trigonometric functions,		vertex testing, integer	tableau, basic variable,		
	partial fractions,		solution.	basic feasible solution,		
				pivot, two-stage simplex		
			Elastic Collisions in One	method, surplus		
			Dimension	variable, non-basic		
			Direct impact, Newton's	variable, artificial		
			law of restitution,	variable, big-M method.		
			separation of particles,			
			coefficient of restitution,	Elastic Collision in Two		
			coalesce, perfect elastic	Dimensions		
			collision, totally inelastic	Oblique impact, change		
			collision, conservation of	in momentum, velocity,		
			linear momentum,	Newton's law of		
			smooth plane, speed of	restitution, angle of		
			rebound, speed of	deflection, lines of		
			approach, kinetic energy.	centres.		
Assessment:	Unit Assessments	Unit Assessments	Unit Assessments	Unit Assessments	Final Exam	
		PPE 1		PPE 2		
Key/Historical	Complex Numbers	Volumes of Revolution	Methods in Differential	Modelling with	•	•
misconceptions	<ul> <li>Assuming laws</li> </ul>	<ul> <li>Mixing up</li> </ul>	Equations	Differential Equations		
in this unit:	of indices work	volumes of	<ul> <li>Using the wrong</li> </ul>	<ul> <li>Using the wrong</li> </ul>		
	the same way	revolution when	method eg	form of		
	with complex	rotating around	integrating			



## COURAGE



numbers as	real
numbers.	

- Using De Moivre's theorem for complex numbers in exponential form.
- Not choosing consecutive values when getting distinct roots in the nth roots of unity.

### Series

- Not writing enough terms in the method of differences to see which terms cancel.
- Writing a Maclaurin series when the series does not converge.
- Using degrees instead of radians in expansions of trigonometric functions.

### **Methods in Calculus**

 Not writing the correct limiting

- the x-axis or yaxis.
- Not rewriting the limits in terms of t when using parametric equations.

### **Polar Coordinates**

- Not drawing a diagram to see which quadrant the pole lies in.
- Not measuring the polar angle from the positive x-axis.

### **Hyperbolic Functions**

- Thinking sinh is an even function.
- Thinking cosh is an odd function.
- That the derivative of cosh is –sinh not sinh.

factor instead of separating the variables.

- Trying to find a particular solution to a second-order differential equation without knowing two boundary conditions.
- Using the wrong form of particular integral.

### **Linear Programming**

- Incorrectly writing some constraints.
- Shading the wrong side of the inequality constraints.
- Not realising a problem requires integer solutions.

# Elastic Collisions in One Dimension

 Using the wrong speeds and signs for speed of approach and separation.

# harmonic motion.

### **Simplex Method**

- Making numerical errors with pivots in the simplex tableau.
  - Incorrectly
    altering all
    constraints
    including nonnegativity
    constraint when
    using slack
    variables.

# Elastic Collisions in Two Dimension

 Using the wrong speeds and signs for speed of approach and separation.

